

# B Tree

**B-tree is a special type of self-balancing search tree in which each node can contain more than one key and can have more than two children. It is a generalized form of the binary search tree.**

number of keys in a node and number of children for a node depends on the order of B-Tree.

**It is also known as a height-balanced m-way tree.**

# Properties of B tree

**Property #1 - All leaf nodes must be at same level.**

**Property #2 - All nodes except root must have at least  $\lceil m/2 \rceil - 1$  keys and maximum of  $m-1$  keys.**

**If  $m = 4$  then**

**Min keys =  $4/2 - 1 = 1$**

**Max keys =  $4 - 1 = 3$**

**Property #3 - All non leaf nodes(internal node) except root (i.e. all internal nodes) must have at least  $m/2$ (ceiling) children.**

**Property #4 - If the root node is a non leaf node, then it must have atleast 2 children.**

**Property #5 - A non leaf node with  $n-1$  keys must have  $n$  number of children.**

**Property #6 - All the key values in a node must be in Ascending Order.**

**Property #7- The left subtree of the node will have lesser values than the right side of the subtree.**

## **Operations on a B-Tree**

**The following operations are performed on a B-Tree.**

- 1. Search**
- 2. Insertion**
- 3. Deletion**

## **Insertion Operation in B-Tree**

**In a B-Tree, a new element must be added only at the leaf node. That means, the new keyValue is always attached to the leaf node only.**

### **insertion operation**

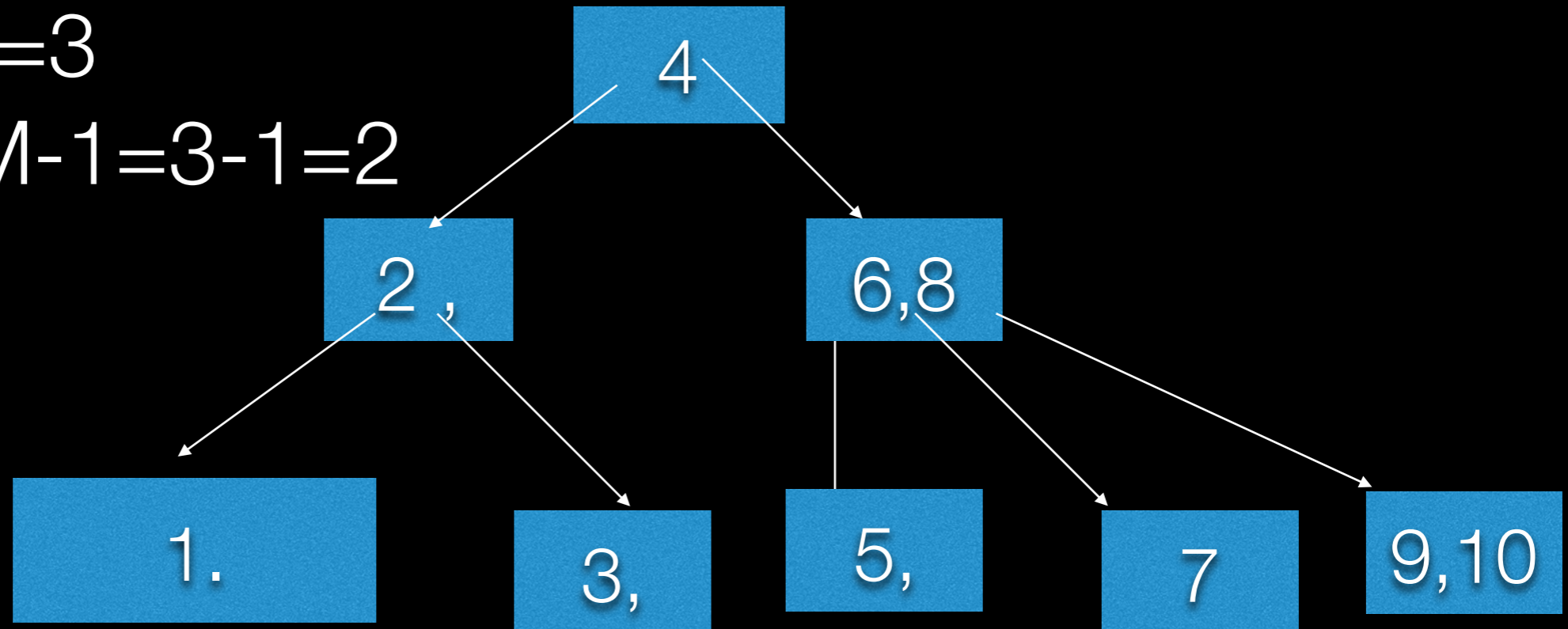
- **Step 1 - Check whether tree is Empty.**
- **Step 2 - If tree is Empty, then create a new node with new key value and insert it into the tree as a root node.**
- **Step 3 - If tree is Not Empty, then find the suitable leaf node to which the new key value is added using Binary Search Tree logic.**
- **Step 4 - If that leaf node has empty position, add the new key value to that leaf node in ascending order of key value within the node.**
- **Step 5 - If that leaf node is already full, split that leaf node by sending middle value to its parent node. Repeat the same until the sending value is fixed into a node.**
- **Step 6 - If the splitting is performed at root node then the middle value becomes new root node for the tree and the height of the tree is increased by one**

Construct a **B-Tree of Order 3** by inserting numbers from 1 to 10.

1,2,3,4,5,6,7,8,9,10

$M=3$

Max key  $M-1=3-1=2$



# Search operation

**Step 1 - Read the search element from the user.**

**Step 2 - Compare the search element with first key value of root node in the tree.**

**Step 3 - If both are matched, then display "Given node is found!!!"**

**Step 4 - If both are not matched, then check whether search element is smaller or larger than that key value.**

**Step 5 - If search element is smaller, then continue the search process in left subtree.**

**Step 6 - If search element is larger, then compare the search element with next key value in the same node and repeat steps 3, 4, 5 and 6 until we find the exact match or until the search element is compared with last key value in the leaf node.**

**Step 7 - If the last key value in the leaf node is also not matched then display "Element is not found".**